

4.2 Basic Probability Rules Part 3

From yesterday's example, what would the probability be that you get a green or a red M&M?

$$P(\text{green or red}) = P(\text{green}) + P(\text{red}) = 0.198 + 0.131 = 0.329$$

Why does this formula work? Because the events "getting a green" and "getting a red" have no outcomes in common - that is, there are no M&M's that are both green and red. We say that these two events are **mutually exclusive**. As a result, this intuitive formula is known as the **addition rule for mutually exclusive events**.

Two events A and B are **mutually exclusive** if they have no outcomes in common and so can never occur together - that is $P(A \text{ and } B) = 0$.

The **addition rule for mutually exclusive events** A and B says that $P(A \text{ or } B) = P(A) + P(B)$

****Note that this rule only works for mutually exclusive events!**** We will develop a more general rule for finding $P(A \text{ or } B)$ that works for any two events in the next lesson.

Example: Randomly select a student who took the 2015 AP Statistics exam and record the student's score. Here is the probability model according to the College Board:

Score	1	2	3	4	5
Probability	0.233	0.183	0.235	0.224	0.125

Many people consider scores of 3, 4, or 5 as "passing scores" because many colleges award credit or placement to students who earn these scores.

a.) Find the probability that the chosen student scored less than a 3.

$$P(\text{less than 3}) = P(1) + P(2) = 0.233 + 0.183 = 0.416$$

b.) Find the probability that the chosen student earned a passing score.

$$\begin{aligned} P(\text{passing}) &= P(3) + P(4) + P(5) \\ &= 0.235 + 0.224 + 0.125 \\ &= 0.584 \end{aligned}$$