4.2 Basic Probability Rules: Probability Models

Our work so far suggests two common sense rules that a valid probability model must obey:

1. The probability of any event is a number between 0 & 1. This rule follows from the definition of probability: the proportion of times the event would occur in many repetitions of the chance process.

All possible outcomes together must have probabilities that add up to
Any time we observe a chance process, some outcome must occur.

Here's one more rule that follows from the previous two: 3. The probability that an event does not occur is 1 minus the probability that the event does occur. Earlier, we found that the probability of getting a sum of 5 when rolling two fair, six-sided dice was 4/36. What's the probability that the sum is not 5?

P(sum is not 5) = 1 - P(sum is 5) = 1 - $\frac{4}{36} = \frac{32}{36} = 0.889$

We refer to the event "not A" as the **complement** of A and denote it by A^{c} . For that reason, this handy result is known as the **complement rule**. Using the complement rule in this setting is much easier than counting all 32 possible ways to get a sum that isn't 5.

The complement rule says that $P(A^c) = 1 - P(A)$ where A^c is the complement of event A; that is, the event that A does not happen.

Example: Suppose you tear open the corner of a bag of M&M's Milk Chocolate Candies, pour one candy into your hand, and observe the color. According to Mars, Incorporated (the maker of M&M's), the probability

