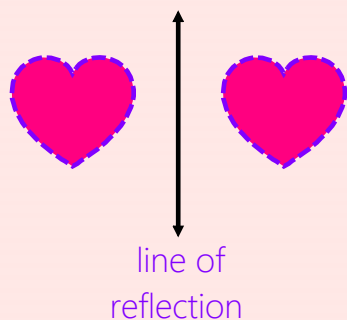


Reflections



A reflection flips a point across a line so that the point and its reflection are the same distance from the line.

When the reflection line is an axis in the coordinate plane, the points have a special relationship.

Reflections Across the y-axis : Opposite x/Same y

$$(x, y) \rightarrow (-x, y)$$

$$\text{Example: } (2, 3) \rightarrow (-2, 3)$$

Reflections Across the x-axis : Same x/Opposite y

$$(x, y) \rightarrow (x, -y)$$

$$\text{Example: } (4, -5) \rightarrow (4, 5)$$

Reflections Across Both Axis : Opposite x/Opposite y

$$(x, y) \rightarrow (-x, -y)$$

$$\text{Example: } (6, 1) \rightarrow (-6, -1)$$

Example : Determine whether the points are reflections across an axis. If yes, state whether the reflection is across the x-axis, y-axis, or both.

1.) $(2, 9)$ and $(-2, 9)$

y-axis

2.) $(1.5, 3.4)$ and $(1.5, -3.4)$

x-axis

3.) $(1, 3)$ and $(-1, 2)$

none

4.) $(-1.5, 2.1)$ and $(1.5, -2.1)$

both

5.) $(26, 0.4)$ and $(-26, 0.4)$

y-axis

6.) $(3, 1)$ and $(-3, -5)$

both

Example : For each point, write the location of its reflection point across the x-axis. x-axis *same x/opposite y*

7.) $(5, -6)$

$(5, 6)$

8.) $(-3.5, 8.4)$

$(-3.5, -8.4)$

9.) $(-0.7, -0.3)$

$(-0.7, 0.3)$

10.) $(25, -7)$

$(25, 7)$

Example : For each point, write the location of its reflection point across the y-axis. y-axis *opposite x/same y*

11.) $(-4, 7)$

$(4, 7)$

12.) $(-0.6, -2.1)$

$(0.6, -2.1)$

13.) $(12.75, -1)$

$(-12.75, -1)$

14.) $(78, 54)$

$(-78, 54)$